8. Vector-controlled induction motor drives

- The previous control strategies good steady-state but poor dynamic response oscillation resulted from the air gap flux
- Vector control (field-oriented control) is related to the phasor control of the rotor flux

- 8.2 Principle of vector control
- Assume that the position of the rotor flux linkages phasor λ_r is known.
- Let θ_f be referred to as field angle, and λ_r be at θ_f from a stationary reference.
- The transformation in the synchronous frame

 $\begin{bmatrix} i_{qs}^{e} \\ i_{ds}^{e} \end{bmatrix} = \frac{2}{3} \begin{bmatrix} \sin \theta_{f} & \sin(\theta_{f} - \frac{2\pi}{3}) & \sin(\theta_{f} + \frac{2\pi}{3}) \\ \cos \theta_{f} & \cos(\theta_{f} - \frac{2\pi}{3}) & \cos(\theta_{f} + \frac{2\pi}{3}) \end{bmatrix} \begin{bmatrix} i_{as} \\ i_{bs} \\ i_{cs} \end{bmatrix}$



 Summary of vector control (i) Obtain the field angle (ii) Calculate i_f^* , for the required λ_r^* (iii) From λ_r^* and the requied T_e^* , calculate the stator current i_{T}^{*} . (iv) Calculate the stator-current phasor magnitude, is i_s^* , from the vector sum of i_T^* and if*. (v) Calculate torque angle

 $\theta_{\rm T} = \tan^{-1} \frac{{\rm i}_{\rm T}^*}{{\rm i}_{\rm f}^*}$

(vi) Add θ_{T} and θ_{f} to obtain θ_{s} . (vii) Through the dqo transformation to abc variables: $i_{as}^{*} = i_{s}^{*} \sin \theta_{s}$

$$i_{bs}^* = i_s^* \sin(\theta_s - \frac{2\pi}{3})$$
$$i_{cs}^* = i_s^* \sin(\theta_s + \frac{2\pi}{3})$$

(viii) Synthesize these currents by using an inverter.

• Direct vector control



Figure 8.2 Direct vector-control scheme

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• The phase-current control loops use

1. PWM

- 2. Hysteresis
- 3. Space-vector modulation

• Flux and torque processor implementation



• Voltage-source direct vector control



• 8.4 Derivation of indirect vector-control

- From the dynamic equations of the induction machine in the synchronous rotating reference frames.
- The electrical field angle

 $\theta_{\rm f} = \theta_{\rm r} + \theta_{\rm s1}$

• Getting the slip angle by $\theta_{s1} = \int \omega_{s1} dt$

• 8.5 Indirect vector-control scheme



• Flowchart





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• 8.6 An implementation





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- 8.10 Parameter sensitivity of ...
- Parameter changing occurs a mismatch between the vector controller and induction motor.
- This mismatch produces
 (i) The rotor flux linkage deviation.
 (ii) The electromagnetic torque deviation.
 (iii) An oscillation is caused both in the rotor flux linkage and in torque response.

• Expression for electromagnetic torque

$$\frac{T_{e}}{T_{e}^{*}} = \alpha \beta [\frac{1 + (\omega_{s1}^{*} T_{r}^{*})^{2}}{1 + (\alpha \omega_{s1}^{*} T_{r}^{*})^{2}}] \text{ Where } \alpha = \frac{T_{r}}{T_{r}^{*}}, \ \beta = \frac{L_{m}}{L_{m}^{*}}$$

• Expression for the rotor flux linkage

$$\frac{\lambda_{\rm r}}{\lambda_{\rm r}^*} = \beta \sqrt{\frac{1 + (\omega_{\rm s1}^* T_{\rm r}^*)^2}{1 + (\alpha \omega_{\rm s1}^* T_{\rm r}^*)^2}}$$

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• Steady-state results ranges of α and β $0.5 < \alpha < 1.5$ $0.8 < \beta < 1.2$

• Torque and its command versus α



• Rotor flux linkage and its command versus α



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• Parameter-sensitivity compensation

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Modified reactive-power compensation







Parameter compensation with air gap-power feedback control



Parameter-compensated indirect vectorcontrolled induction motor drive

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Figure 8.42 Parameter-compensated indirect vector-controlled induction motor drive

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• Speed controller design



Figure 8.51 Block diagram of the vector-controlled induction motor with constant rotor flux linkages

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