

Airline Network Design

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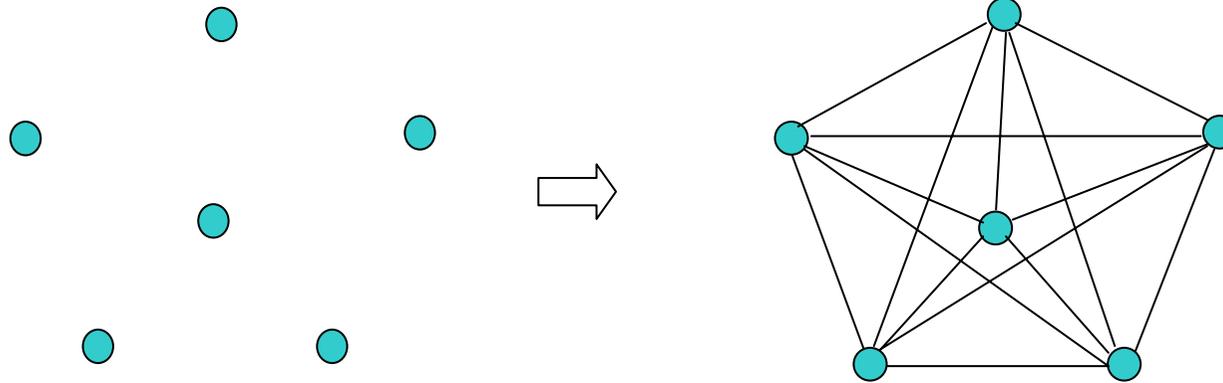


Airline Network Planning

- Airline Network planning tries to determine
 - Service network configuration
 - Flight route (delivering path)
 - Flow assignment

Network Configuration

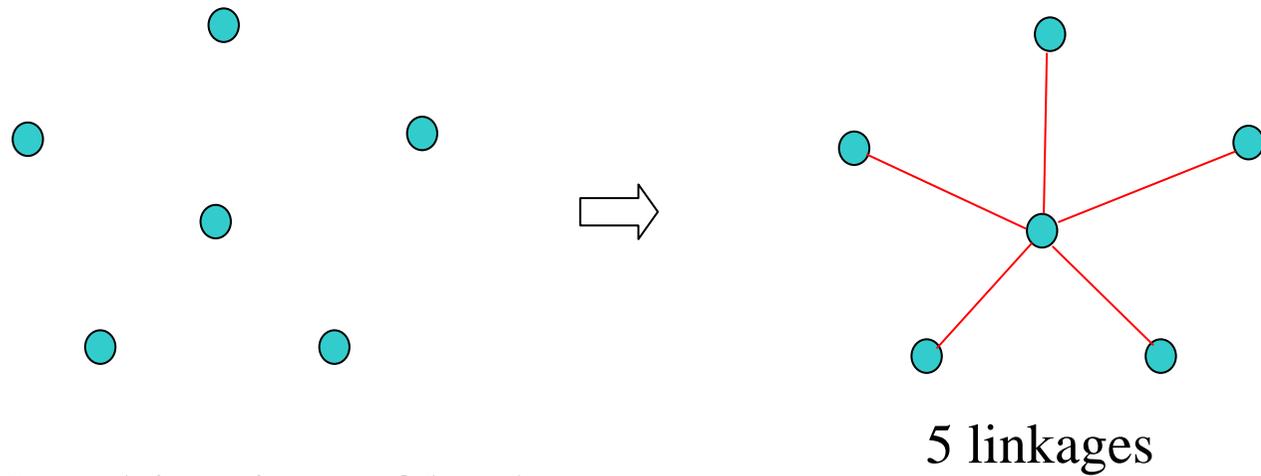
- Network configuration
 - Point-to-Point (direct flight)



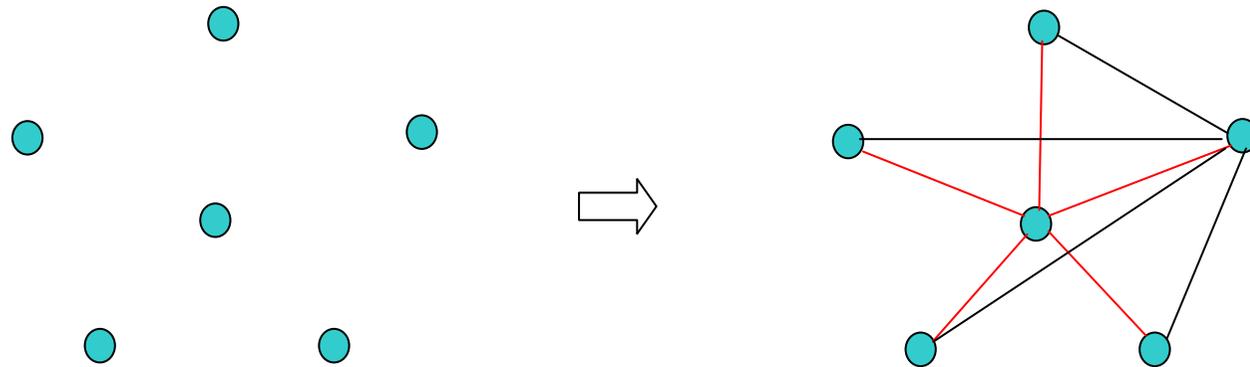
15 linkages

Network Configuration

- Hub-and-Spoke

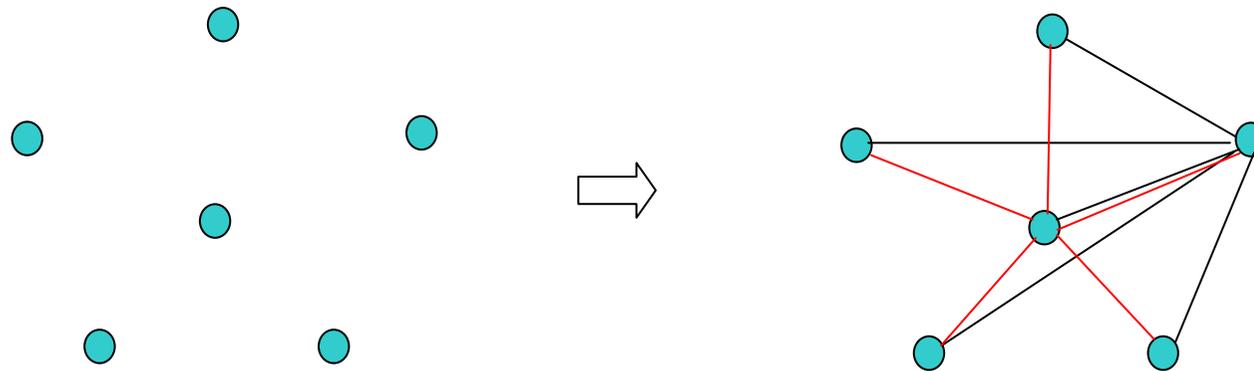


- Combination of both



Network Configuration

- Coexistence of both





Flight Routes

- Flight route
 - Determine the routes (or paths) to deliver for every OD
 - Direct flight or non-stop flight

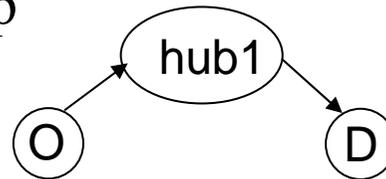


Flight Routes

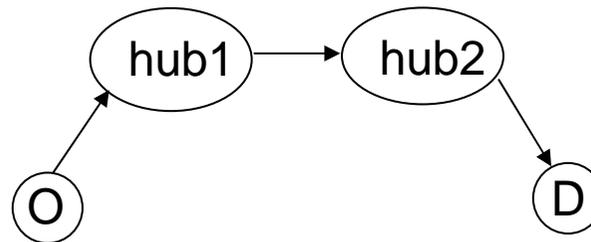
- Hub-connected flight

- rare to have more than two hub stops in practice, especially in the air passenger market

- one-hub-stop



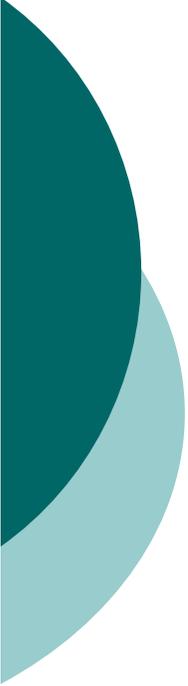
- two-hub-stop





Tool for Airline Network Planning

- Tool: Mathematical Model
 - Objective: usually try to minimize the total cost
 - Cost
 - Fixed cost: hub setup cost
 - Variable costs: transportation cost and....
 - Maximize profit: more complicate because it would relate to pricing policy.
 - pricing in air market is dynamic and complicate task: Revenue Management.



Network Planning Model

- Given
 - nodes (airports): location
 - OD demand
 - Costs
 - Flight distance (if necessary)
- Determine
 - Network configuration
 - Number of hubs and location
 - Paths
 - Flows

$\text{Minimize } z = \sum_{i \in N} \sum_{j \in N: j \neq i} d_{ij}^c x_{ij} + \sum_{i \in N} \sum_{j \in N: j \neq i} \sum_{k \in N} \sum_{t \in N} d_{ij}^c x_{iktj} + \sum_{k \in N} f_k s_k$	
$\text{Subject to } x_{ij} + \sum_{k \in N} \sum_{t \in N} x_{iktj} = 1, \forall i, j: i \neq j$	Flow conservation
$\sum_{i \in N} x_{ik} + \sum_{i \in N} x_{ki} \leq V(1 - s_k), \forall k: i \neq k$	Differentiate non-stop flights in hubs
$\sum_{t \in N} x_{kkti} + \sum_{t \in N} x_{itkk} \geq 2s_k, \forall i, k: i \neq k$	No two-hub-stop for hubs
$x_{kkttt} \geq s_k + s_t - 1, \forall k, t: k \neq t$	Only non-stop between hubs
$v \left[\sum_{i \in N} \sum_{j \in N} \sum_{t \in N} (x_{iktj} + x_{itkj}) - \sum_{i \in N} \sum_{j \in N} x_{ikkj} \right] \geq s_k, \forall k: i \neq k, j \neq k$	Hubs need transshipment flows
$\sum_{i \in N} \sum_{j \in N} \sum_{t \in N} d_{ij} (x_{iktj} + x_{itkj}) - \sum_{i \in N} \sum_{j \in N} d_{ij} x_{ikkj} \leq U_k s_k, \forall k: i \neq j$	Capacity constraint
$0 \leq x_{ij} \leq 1, \forall i, j: i \neq j$	
$0 \leq x_{iktj} \leq 1, \forall i, k, t, j: i \neq j$	
$s_k \in \{0, 1\}, \forall k$	